

# Detecting Dark Energy in the Laboratory

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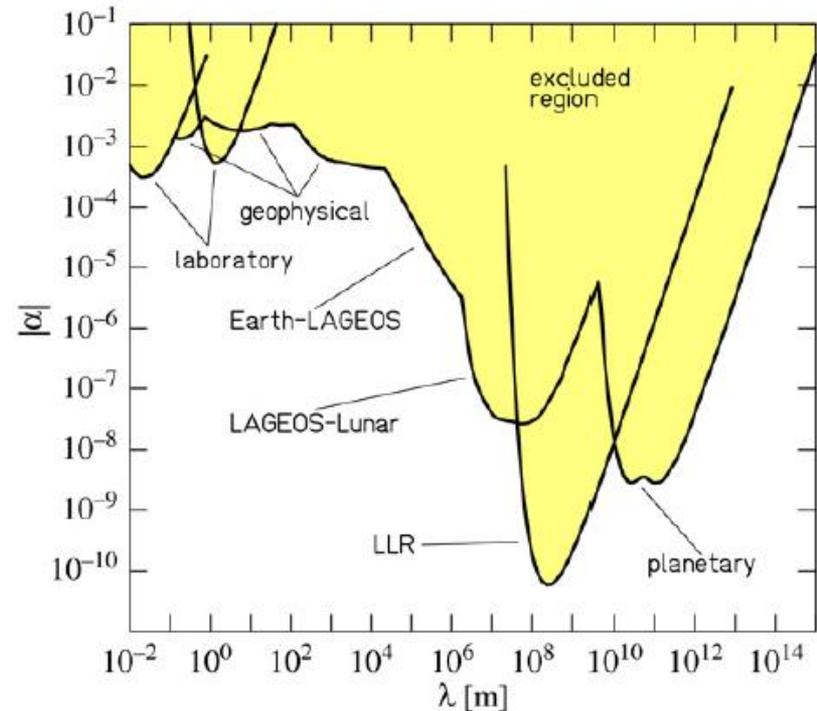
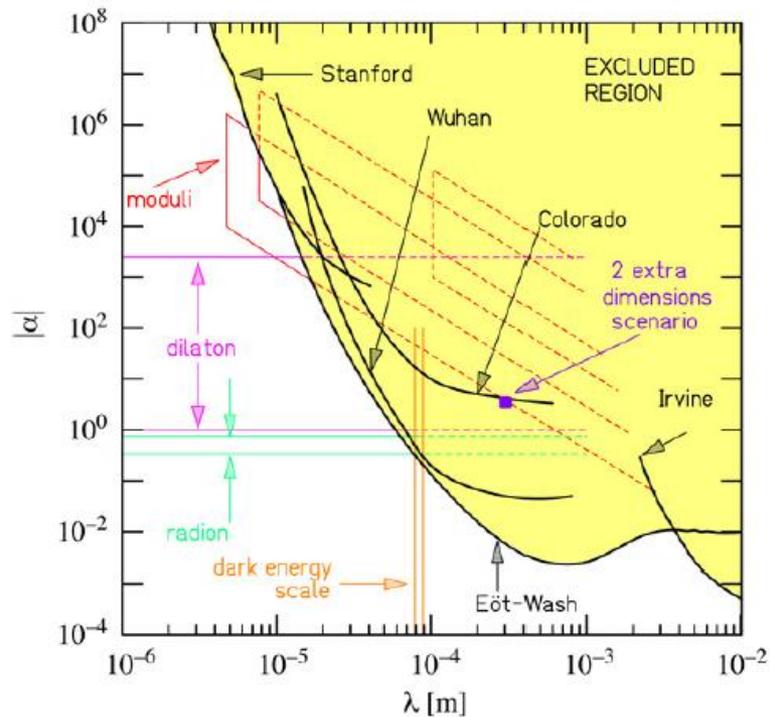
**arXiv:1408.1409**

- Dark energy scalars require a screening mechanism
  - Chameleon is the archetypal example
    - Atoms are unscreened
- Atomic experiments have the potential to detect dark energy

# Dark Energy Scalar Fields

Explanations of the current accelerated expansion of the universe often introduce new, light scalars

But we do not see long range Yukawa fifth forces



# The Chameleon



v.

Scalar field theory with  
non-trivial self  
interactions and  
coupling to matter

The spherically symmetric, static equation of motion is

$$\frac{1}{r^2} \frac{d}{dr} [r^2 \phi(r)] = \frac{dV}{d\phi} + \frac{\rho(r)}{M} \equiv V_{\text{eff}}(\phi)$$

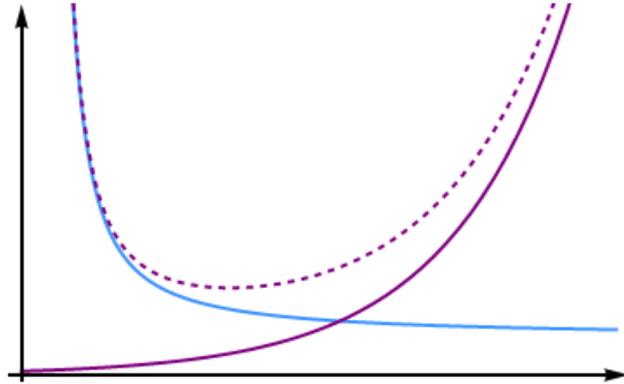
Chameleon screening relies on a non-linear potential, e.g.

$$V(\phi) = \frac{\Lambda^5}{\phi}$$

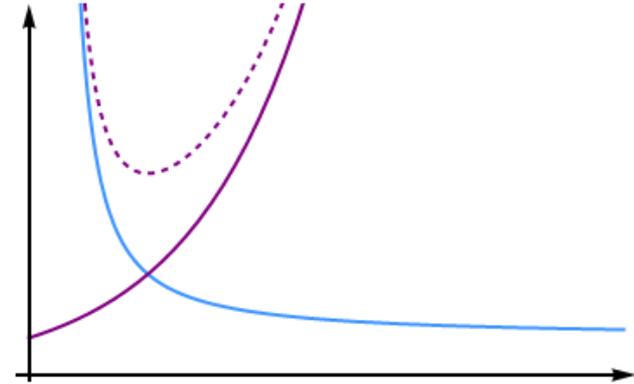
# Varying Mass

The mass of the chameleon changes with the environment  
Field is governed by an effective potential

$$V_{\text{eff}} = \frac{\Lambda^5}{\phi} + \frac{\phi}{M} \rho$$



Low density



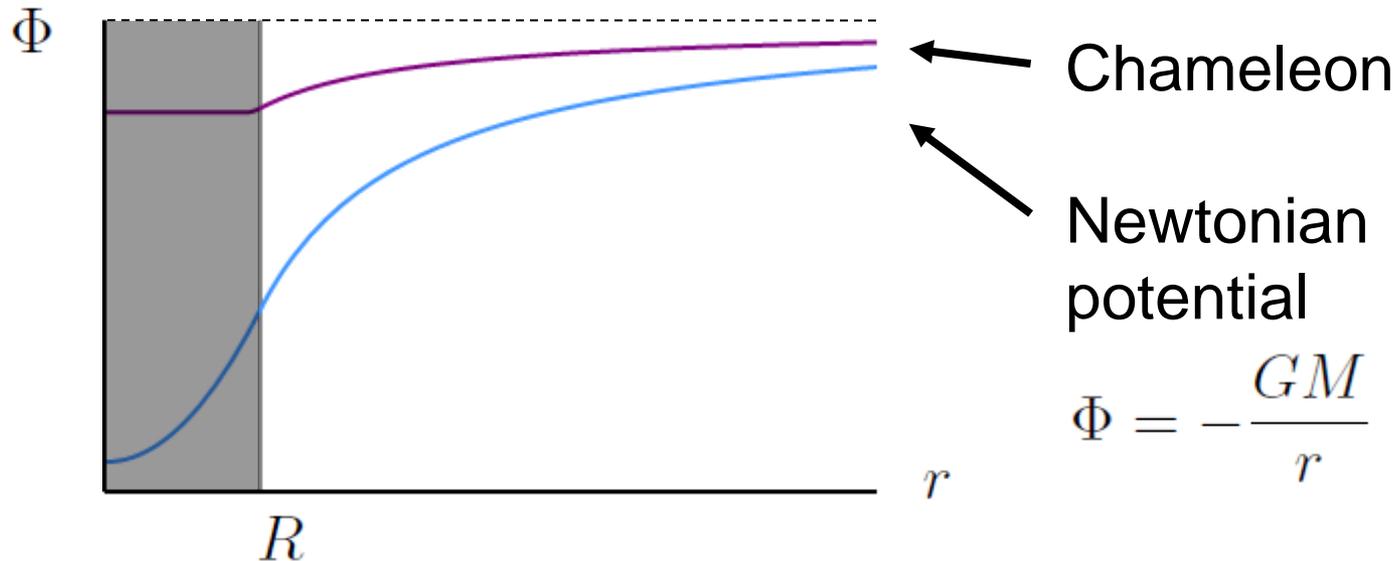
High density

**Warning:** Relies on non-renormalisable operators,  
no protection from quantum corrections

*See also A. Erickcek talk on Wednesday*

# Chameleon Screening

The increased mass makes it hard for the chameleon field to adjust its value



The chameleon potential well around sufficiently large objects is shallower than for standard light scalar fields

# A Universal Form for the Scalar Potential

$$\phi = \phi_{\text{bg}} - \lambda_A \frac{1}{4\pi R_A} \frac{M_A}{M} \frac{R_A}{r} e^{-m_{\text{bg}} r}$$

$$\lambda_A = \begin{cases} 1, & \rho_A R_A^2 < 3M\phi_{\text{bg}} \\ 1 - \frac{S^3}{R_A^3} \approx 4\pi R_A \frac{M}{M_A} \phi_{\text{bg}}, & \rho_A R_A^2 > 3M\phi_{\text{bg}} \end{cases}$$

The parameter  $\lambda$  determines how responsive an object is to the chameleon field

When  $m_{\text{bg}} r$  is small the ratio of the acceleration of a test particle due to the chameleon and gravity is:

$$\frac{a_\phi}{a_N} = \frac{\partial_r \phi}{M} \frac{r^2}{GM_A} = 3\lambda_A \left( \frac{M_P}{M} \right)^2$$

# Laboratory Experiments

The chameleon effects are not screened for 'small' objects that do not probe the scalar non-linearities. This requires:

$$\frac{1}{4\pi R_A} \frac{M_A}{M} \ll \phi_{\text{bg}}$$

We want an experiment where:

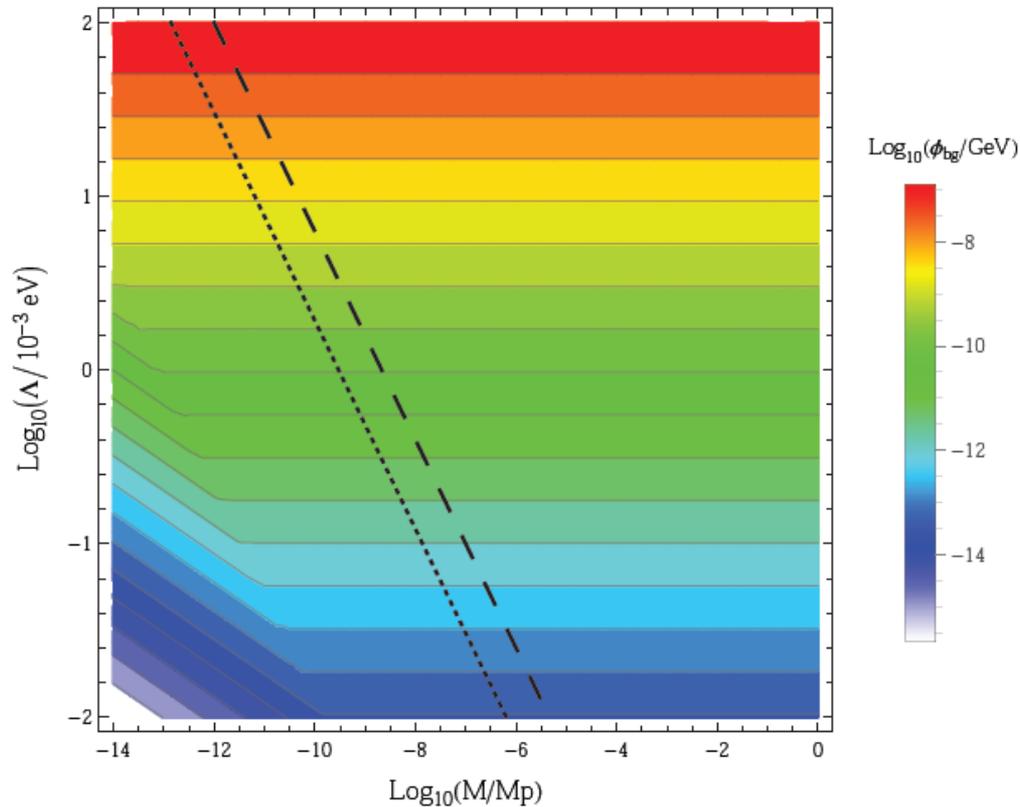
$\phi_{\text{bg}}$  is large – high quality vacuum

$M_A/R_A$  is small – atoms

If the walls of the chamber are thick enough, the interior is screened from external chameleon fluctuations

cf. electrostatic shielding

# Are Atoms Screened?



Vacuum chamber: Radius = 10 cm. Pressure =  $10^{-10}$  Torr  
Atoms unscreened above black lines: Dashed = caesium.  
Dotted = lithium

# New Constraints

We can constrain the chameleon with any measurement of interactions between atoms and macroscopic objects / surfaces in high vacuum environments

Measurements of:

- van der Waals forces

Shih (1974), Shih et al. (1975), Anderson et al. (1988)

- Casimir-Polder forces

Sukenik et al. (1993)

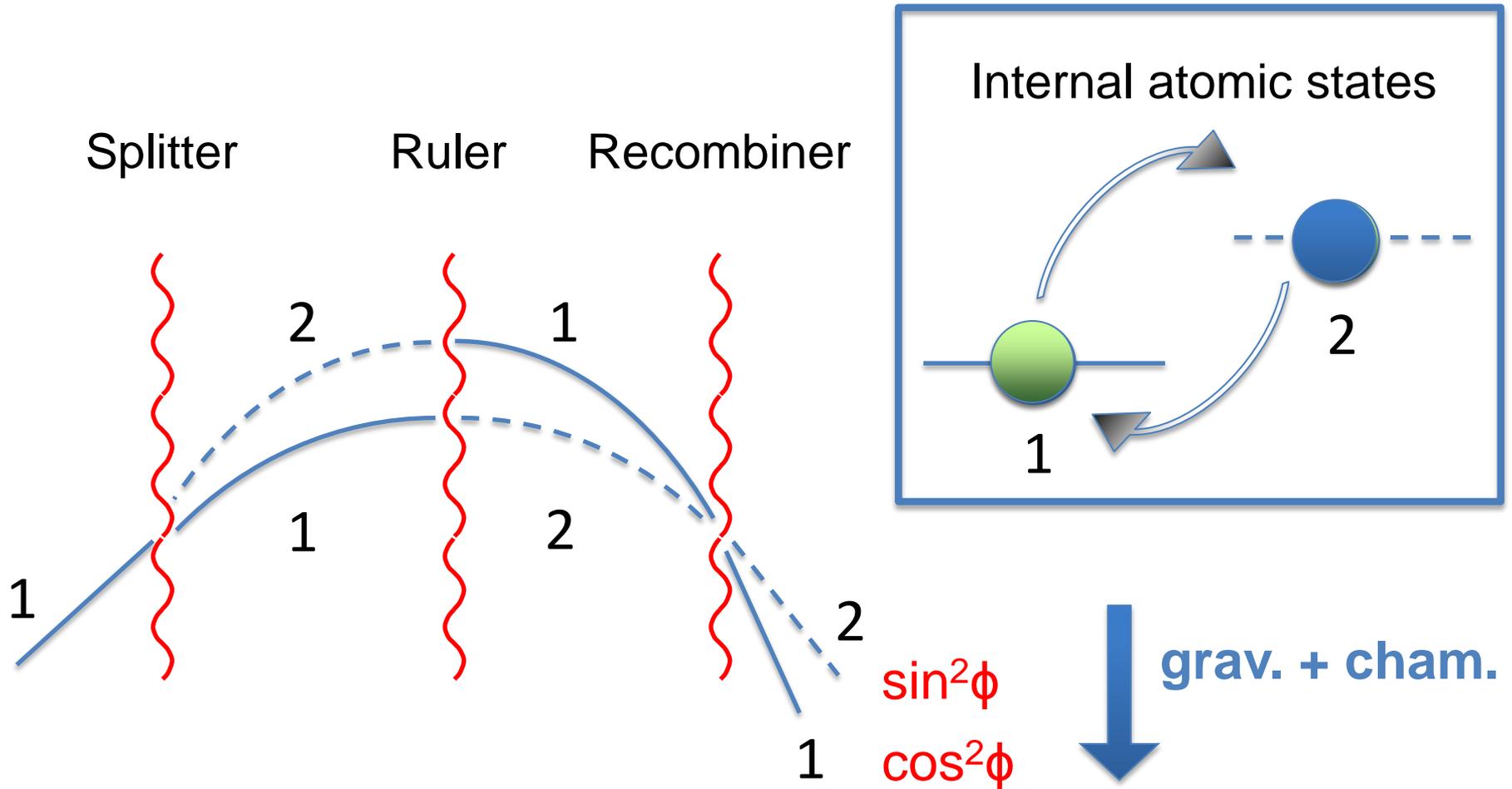
- Gravitational forces on atoms above a chip

Baumgärtner et al. (2010)

- Quantisation of gravitational energy levels of a neutron when bouncing above a plate

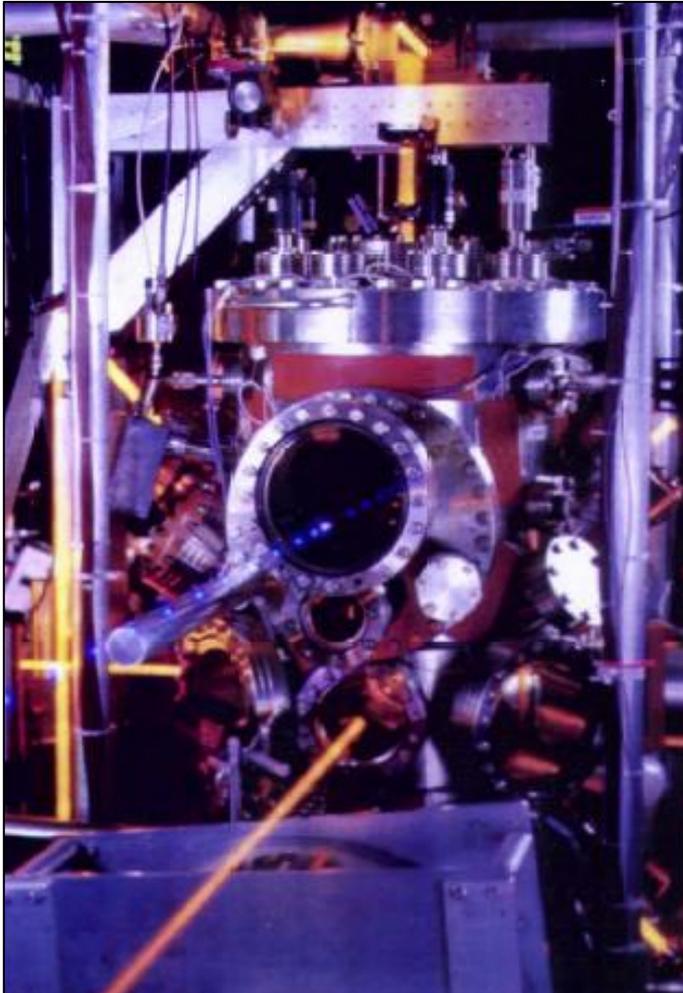
Jenke et al. (2014)

# Atom interferometry



Interference determines whether atoms come out in state 1 or state 2

# Proposed Chameleon Experiment

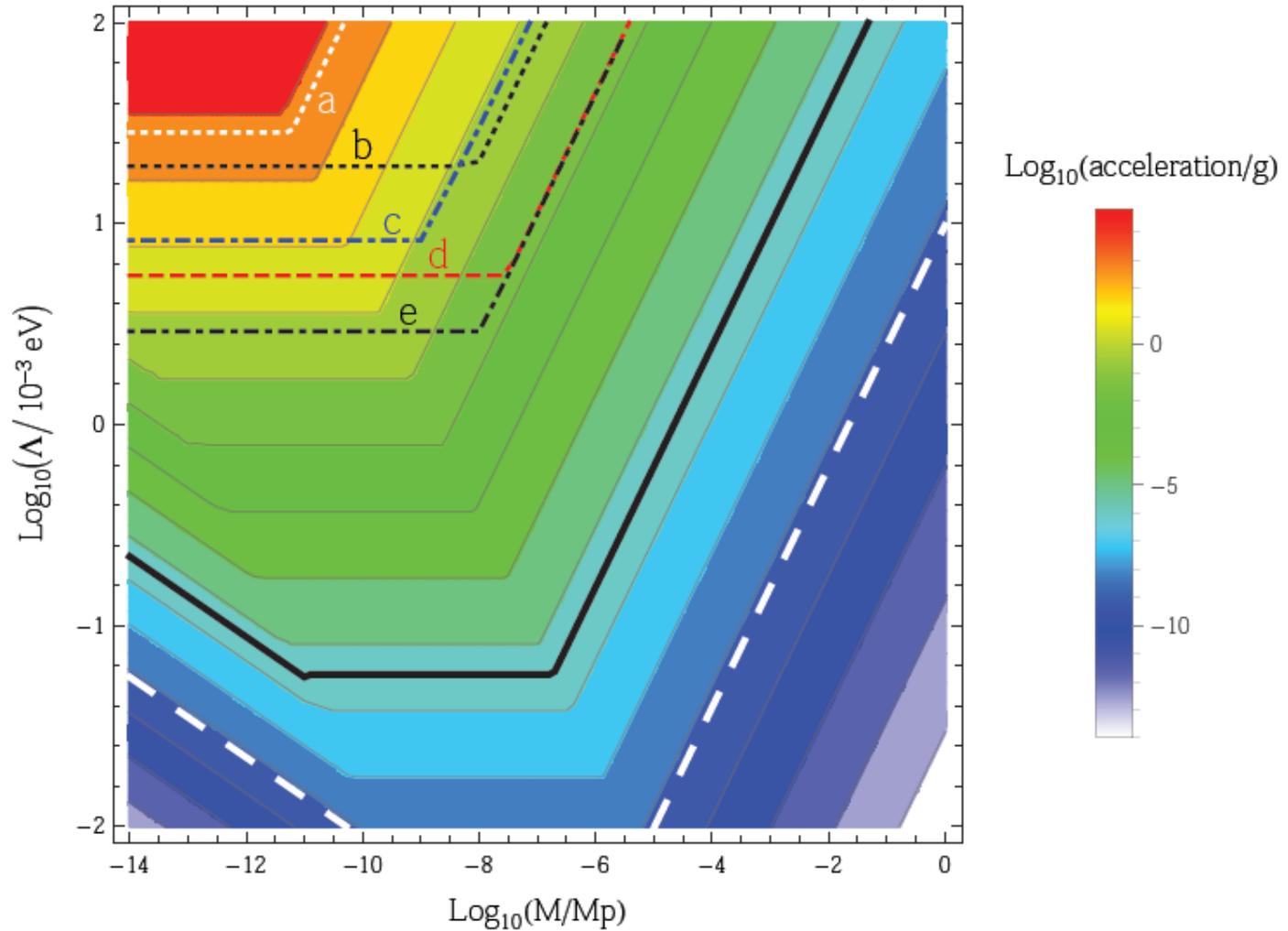


Launch Rb atoms in a fountain, height 5 mm, held 1 cm from a source mass of 1 cm radius

Accelerations of  $10^{-6}$  g produce a detectable,  $1/7$  radian, phase shift

Stark effect, Zeeman effect, phase shifts due to scattered light and movement of beams all negligible at this level

# Expected Sensitivity

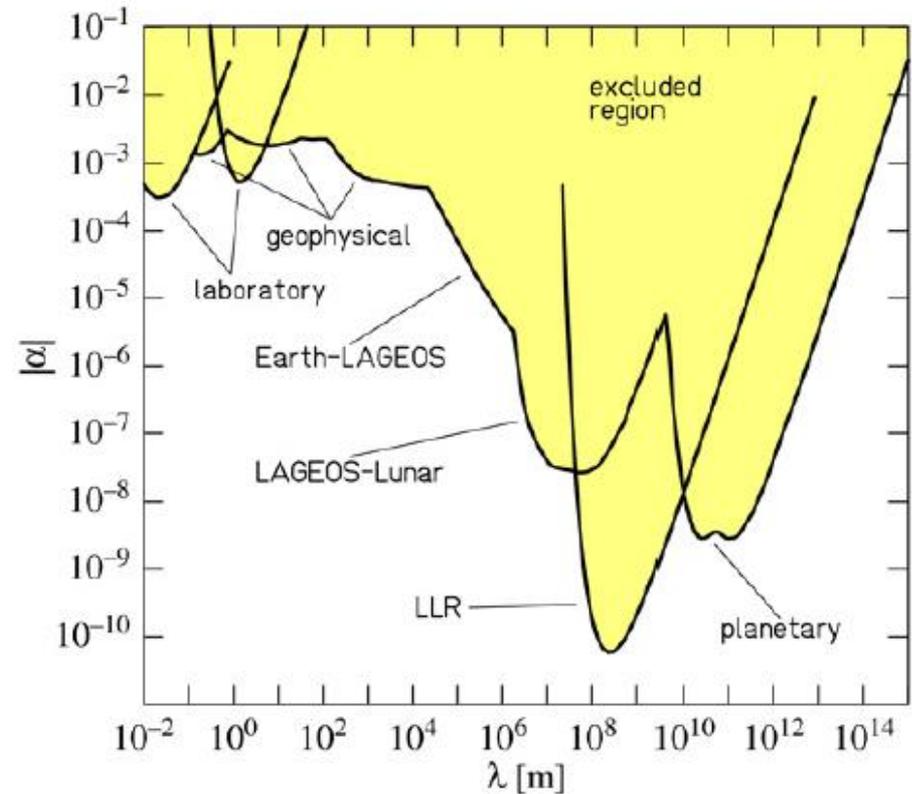
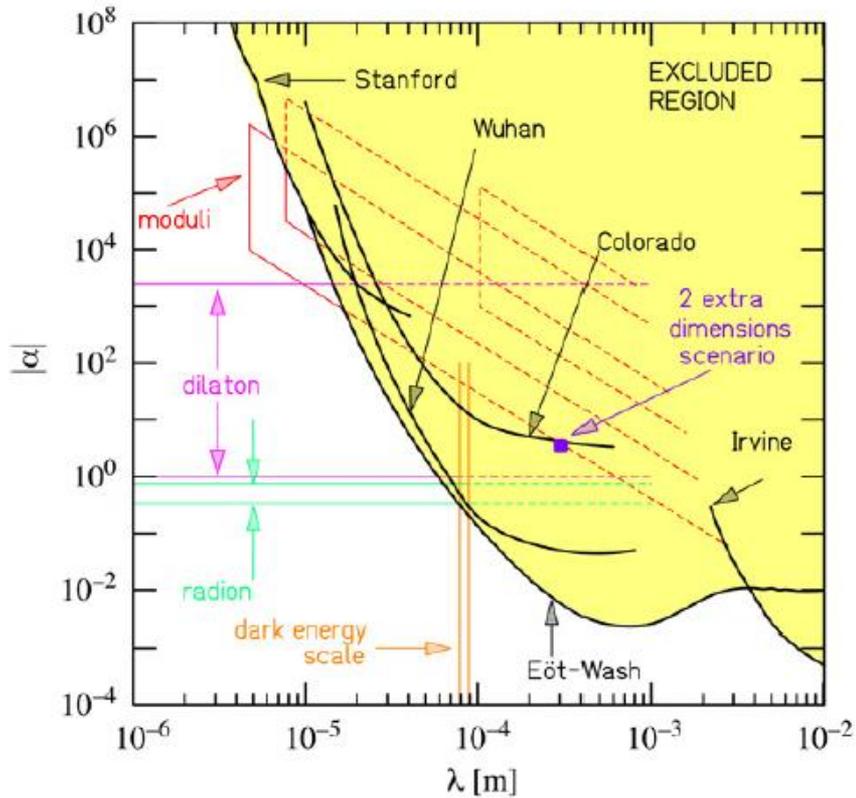


# Conclusions

- The accelerated expansion of the universe motivates the introduction of new light scalar fields
- Theories with screening mechanisms hide the scalar force dynamically
- The chameleon screening mechanism relies on the mass of the scalar field varying with the density of the environment
  - Chameleon forces on atoms in high vacuum are unscreened
  - Current technology can significantly constrain the parameter space



# Constraints on Yukawa Forces



# Inside the Vacuum Chamber

The field can only reach the minimum of the effective potential in vacuum if the chamber is large enough

Otherwise the field value depends on the size of the chamber:

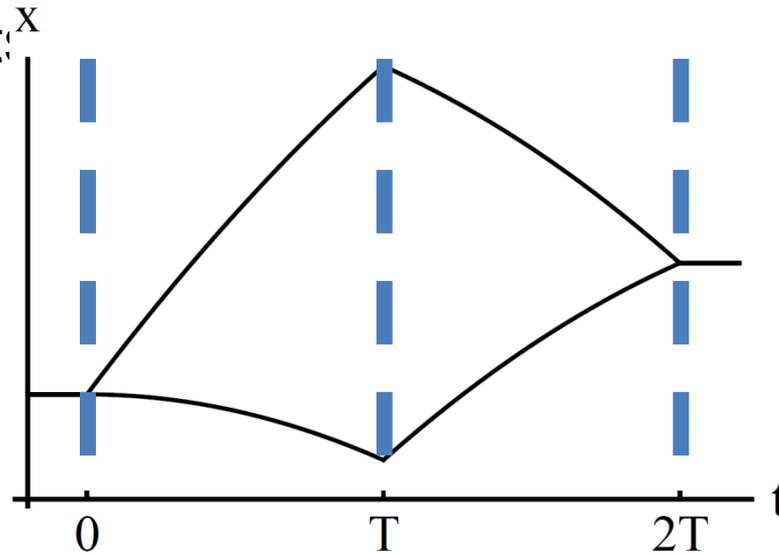
$$\phi_{\text{bg}} = \left( \frac{8\Lambda^5 L^2}{\pi^2} \right)^{1/3}$$

If the walls of the chamber are strongly perturbing, the interior is screened from external chameleon fluctuations  
cf. electrostatic shielding

# Atom Interferometry

Use Raman interferometry to split the wavefunction.

The two parts:



A phase difference is imprinted by interactions with the Raman beams at different spatial positions.

The wave function is recombined and the phase difference measured.

# Raman Interferometry

Total phase difference between paths depends on:

(1) The free evolution

$$\Delta\varphi = \frac{1}{\hbar}(S_{\text{cl}}^B - S_{\text{cl}}^A)$$

Vanishes for uniform gravitational / chameleon fields

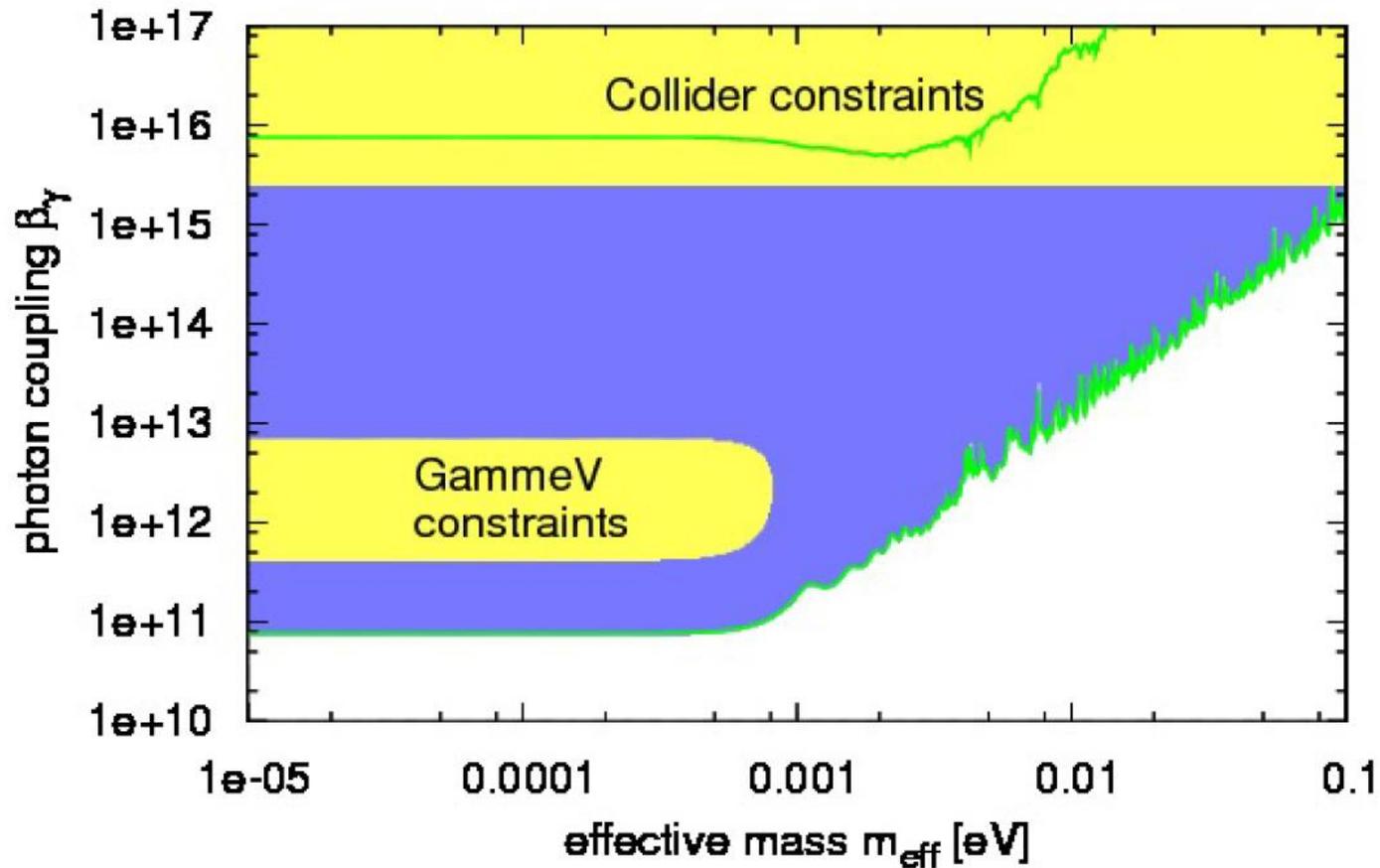
(2) The interaction with Raman beams

Depends on the position and time of the interactions

$\Delta\varphi$  is proportional to the gravitational / chameleon  
acceleration

# GammeV-CHASE

Results from the GammeV Chameleon Afterglow Search at Fermilab



# The Chameleon

Constraints of Casimir, Fifth force, and atomic structure constraints require:

$$\Lambda < 100 \text{ meV}$$
$$10^4 \text{ GeV} \lesssim M \lesssim M_P$$

In the Jordan frame the chameleon becomes an  $f(R)$  model

**Warning:** The chameleon relies on the presence of non-renormalisable operators, and is not protected from quantum corrections

*See also A. Erickcek talk on Wednesday*